

LIB. I.

$$l\pi = l_4 \left\{ \begin{array}{l} \frac{1}{9} - \frac{1}{2 \cdot 9^2} + \frac{1}{3 \cdot 9^3} - \frac{1}{4 \cdot 9^4} + \dots \\ \frac{1}{25} - \frac{1}{2 \cdot 25^2} + \frac{1}{3 \cdot 25^3} - \frac{1}{4 \cdot 25^4} + \dots \\ \frac{1}{49} - \frac{1}{2 \cdot 49^2} + \frac{1}{3 \cdot 49^3} - \frac{1}{4 \cdot 49^4} + \dots \\ \dots \end{array} \right.$$

In his Seriebus numero infinitis verticaliter descendendo ejusmodi prodeunt Series, quarum summas supra jam invenimus, quare si brevitatis gratia ponamus

$$A = 1 + \frac{1}{3^2} + \frac{1}{5^2} + \frac{1}{7^2} + \frac{1}{9^2} + \dots$$

$$B = 1 + \frac{1}{3^4} + \frac{1}{5^4} + \frac{1}{7^4} + \frac{1}{9^4} + \dots$$

$$C = 1 + \frac{1}{3^6} + \frac{1}{5^6} + \frac{1}{7^6} + \frac{1}{9^6} + \dots$$

$$D = 1 + \frac{1}{3^8} + \frac{1}{5^8} + \frac{1}{7^8} + \frac{1}{9^8} + \dots$$

$$\text{erit } l\pi = l_4 - (A - 1) - \frac{1}{2}(B - 1) - \frac{1}{3}(C - 1) - \frac{1}{4}(D - 1) - \dots$$

Est vero, summis supra inventis proxime exprimendis,

$$A = 1, 23370055013616982735431$$

$$B = 1, 01467803160419205454625$$

$$C = 1, 00144707664094212190647$$

$$D = 1, 00015517902529611930298$$

$$E = 1, 00001704136304482550816$$

$$F = 1, 00000188584858311957590$$

$$G = 1, 00000020924051921150010$$

$$H = 1, 00000002323715737915670$$

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