

LIB. II.

$$\text{Arcus } s = AEB = 149^\circ, 16', 27'', 0''' = AFC;$$

unde resultat

$$\text{Arcus } BC = 61^\circ, 27', 6'', 0''',$$

ipsa vero

$$\text{Chorda } AB = AC = 19285340. \quad Q. E. F.$$

536. His Problematis, quibus Arcus quispiam quæritur dato Sinui vel Cofinui æqualis, adjungamus sequens, quo quidem idem negotium proponitur, attamen major difficultas occurrit.

PROBLEMA VI.

TAB.

XXIX.

Fig. 116.

In semicirculo AEB Arcum AE abscindere, ita ut, ducto ejus Sinu ED, Arcus AE sit æqualis summa rectarum AD + DE.

SOLUTIO.

Quoniam statim patet hunc Arcum quadrante esse majorem, quæramus ejus Complementum BE, & vocemus Arcum BE = s , ita ut sit Arcus AE = $180^\circ - s$, atque ob $AC = 1$, $CD = \cos s$, $DE = \sin s$, erit $180^\circ - s = 1 + \cos s + \sin s$. At, est $\sin s = 2 \sin \frac{1}{2} s \cos \frac{1}{2} s$, & $1 + \cos s = 2 \cos \frac{1}{2} s \cos \frac{1}{2} s$; unde fit $180^\circ - s = 2 \cos \frac{1}{2} s (\sin \frac{1}{2} s + \cos \frac{1}{2} s)$. At, est $\cos (45^\circ - \frac{1}{2} s) = \frac{1}{\sqrt{2}} \cos \frac{1}{2} s + \frac{1}{\sqrt{2}} \sin \frac{1}{2} s$: ergo $\sin \frac{1}{2} s + \cos \frac{1}{2} s = \sqrt{2} \cos (45^\circ - \frac{1}{2} s)$: unde erit $180^\circ - s = 2\sqrt{2} \cos \frac{1}{2} s \times \cos (45^\circ - \frac{1}{2} s)$. Hac facta reductione, faciamus sequentes positiones

$$\frac{1}{2} s =$$